

Image quality testing based on information metrics

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A concise guide to camera image quality testing, primarily for machine vision, focusing on metrics derived from information theory, which are more predictive of camera performance than traditional metrics such as sharpness or noise.

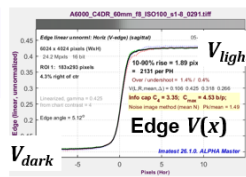
Shannon-Hartley equation for Information capacity, C

$S(f) = ((V_{light} - V_{dark}) SFR(f))^2 / 12$
is the mean signal power derived from the edge, $V(x)$: includes sharpness ($SFR(f)$).

$$C = \int_0^B \log_2 \left(1 + \frac{S(f)}{NPS(f)} \right) df$$

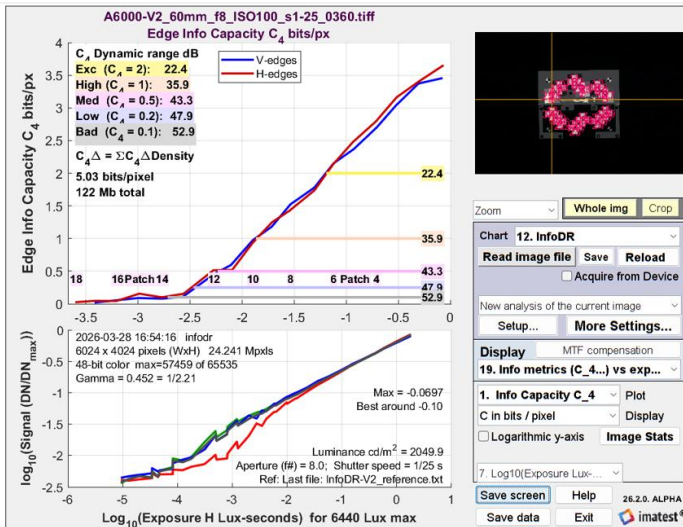
Bandwidth B is always the Nyquist frequency, 0.5 Cycles/Pixel.

$NPS(f)$ is the Noise Power Spectrum, from the noise image



Information Capacity, C , is the basic performance metric derived from information theory. It is calculated from sharpness, noise, and image amplitude.

C_4 is the information capacity measured directly from 4:1 slanted edges. It is the maximum information per pixel for an object with 4:1 contrast.



This plot, made from the new Information-based Dynamic Range (InfoDR) test chart, shows C_4 for a wide range of illumination. It is a key result of a new approach to measuring dynamic range and low light performance based on information theory.

Table of Contents

Introduction	4
Basic imaging concepts	5
Camera	5
Digital image.....	5
Raw image, raw conversion, and demosaicing	6
Gamma encoding and Tonal Response Curve	7
Color Space.....	8
Common color spaces	8
Dynamic Range, Stray Light, and Tone Mapping	8
Spatial and frequency domains and sharpness: <i>MTF & SFR</i>	9
Slanted edge charts	10
Noise	12
Charts and lighting.....	12
Information theory and metrics	14
Ideal Observer SNR, <i>SNR_i</i>	17
Performance specifications — <i>more questions than answers</i>	17
Camera characterization	18
Spatial measurements over the image field	19
Table of spatial resolution charts.....	19
Spatial (slanted-edge) results.....	20
Edge & MTF plot.....	20
Edge & Spatial noise plot	22
3D plot (summary results plotted over the image surface).....	22
Additional spatial resolution charts	23
Tonal measurements.....	25
36-patch Dynamic Range (DR36) charts	26
Contrast Resolution chart	28

Information-based Dynamic Range (InfoDR) chart	28
InfoDR chart design	29
Working with the InfoDR chart.....	30
Edge contrast adjustment.....	31
InfoDR Results	32
InfoDR <i>SNR_i</i>	34
Deeper exploration.....	34
Photon Transfer Curve and Simatest.....	35
Other measurements	36
Color.....	37
Uniformity (Light Falloff) and Defects (Blemishes)	37
Summary	38
References	39

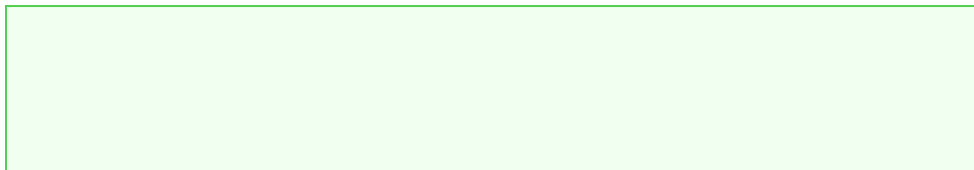
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References are mostly links, which can be opened with control-click. There are a few traditional IEEE/IS&T [*n*] references at the [end of the paper](#).

If you are reading this from a hardcopy, most can be found by searching www.imatest.com/docs/. A few are on Wikipedia, www.wikipedia.org/.

A concise introduction to Imatest’s approach to information metrics is on [Image Information Metrics, https://www.imatest.com/solutions/image-information-](https://www.imatest.com/solutions/image-information-metrics/)

[metrics/](https://www.imatest.com/solutions/image-information-metrics/). We occasionally use “green for geeks” boxes, similar to the *Imatest Metrics*, to indicate technical material that can be skipped by readers who don’t want to dive down deep rabbit holes.



Introduction



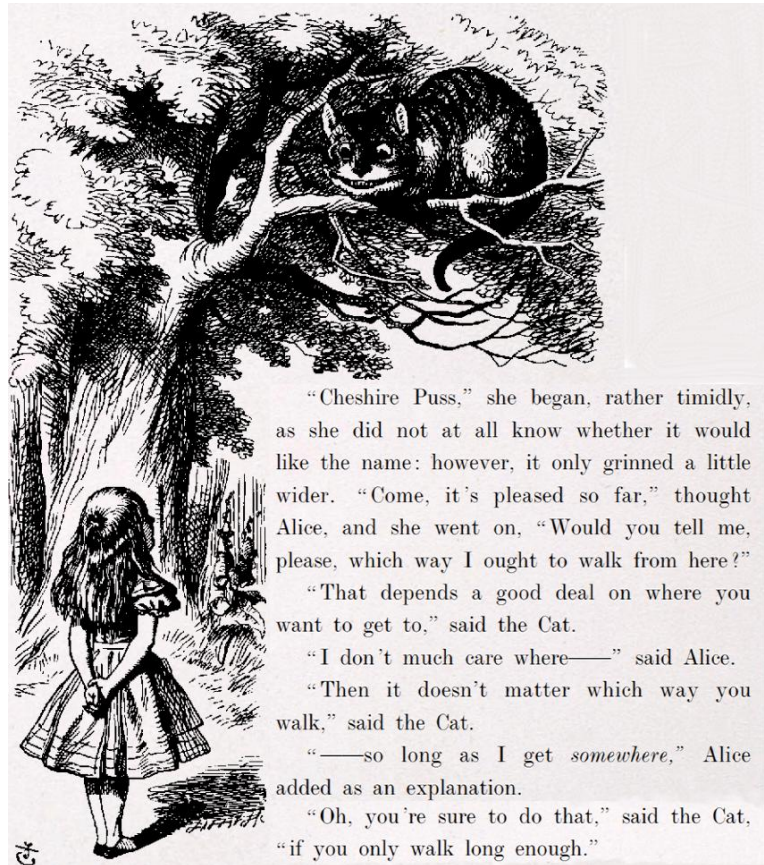
Suppose you are an engineer, tasked with selecting a camera to be embedded into a device — *any* device — a vehicle, a medical endoscope, a security camera, etc. What test charts should you acquire, what tests should you perform, and how should you interpret the results?

Or suppose you are a reviewer for a publication. You have similar questions, but you might expect the answers to be somewhat different.

This document is designed to help guide you through the process of choosing the right measurements, which can resemble a very deep rabbit hole. It will be mostly high-level, i.e., it will only have a few complex equations, usually in **green boxes** that non-technical readers can skip. There will be lots of links to online documents with greater depth. Although this is something of a primer or crash-course on image quality testing, it will include some recently-developed measurements based on information theory that are still relatively unfamiliar, but which we believe are superior for evaluating camera performance.

Prerequisites — The reader should be familiar with the basic concepts of photography: exposure time, aperture (f-stop), total exposure, noise, etc. If you are new to photography, we recommend Sean McHugh's excellent tutorials,

Cambridgeincolour.com **Photography concepts**. If you are an engineer, you should know something about linear systems and what a Fourier transform does (converts signals between spatial and frequency domains).



“Cheshire Puss,” she began, rather timidly, as she did not at all know whether it would like the name: however, it only grinned a little wider. “Come, it’s pleased so far,” thought Alice, and she went on, “Would you tell me, please, which way I ought to walk from here?”

“That depends a good deal on where you want to get to,” said the Cat.

“I don’t much care where——” said Alice.

“Then it doesn’t matter which way you walk,” said the Cat.

“——so long as I get *somewhere*,” Alice added as an explanation.

“Oh, you’re sure to do that,” said the Cat, “if you only walk long enough.”

Note that this document has minimal instructions for running *Imatest* modules. More can be found in the [Imatest Documentation](#) and in the many links.

Basic imaging concepts

Many readers can skip this section and go directly to [Information theory](#) or [Camera characterization](#), which is the heart of this document. We will keep this section as concise as we can.

This section may also be viewed as a guide to the [Imatest Documentation page](#), which can be challenging to navigate. It is also as the outline of a hypothetical textbook that we don't plan to write.

Camera

A digital camera is a device that consists of

- a lens that focuses light from a scene (sometimes called an object) on an image sensor (an $m \times n$ array of photosensitive pixels or photosites),
- an image sensor, which converts light on the photosites into electrical signals and also adds [noise](#) to the image. The signal is usually digitized on the sensor. The unprocessed digital output of the image sensor is called a *raw* image.
- image processing (often abbreviated *ISP* for **Image Signal Processing**), which converts the raw image into an interchangeable image format that can be used and interpreted outside the camera. ISP also enhances the image to be more pleasing for human vision or more useful for machine vision.
- Storage: digital memory cards (photographic film in the old days).

The $m \times n$ pixel size is sometimes referred to as the camera's "**resolution**", but it should not be confused with resolution measurements, such as "vanishing resolution." The meaning is usually clear from the context.

Digital image

A digital image is an $m \times n \times k$ matrix, consisting of m rows (height in pixels), n columns (width in pixels), and k (usually 1 or 3) colors. A **pixel** (*picture element*) is a single element of the image, typically consisting of one, two, or more bytes (8, 16, or more **bits** (*binary digits*), where one byte is 8 bits). An 8-bit image can have $2^8 = 256$ levels (0-255). Similarly, a 16-bit image can have $2^{16} = 65536$ levels (0-65535), etc. **High Dynamic Range (HDR)** images usually have bit depths ≥ 16 .

Raw image, raw conversion, and demosaicing

Raw images directly out of image sensors can have bit depths that are not multiples of 8 (10, 12 and 14 are common). They are generally structured as monochrome images ($k = 1$). For color image sensors, where the photosites are covered by a **Color Filter Array (CFA)** (shown on the right for the popular *Bayer CFA*), each pixel represents one color. Converting a raw image into an interchangeable format (which is associated with a [color space](#)) involves several operations.

R1C1	R1C2	R1C3	R1C4
R2C1	R2C2	R2C3	R2C4
R3C1	R3C3	R3C3	R3C4
R4C1	R4C2	R4C3	R4C4

Bayer CFA

- **Demosaicing:** For color image sensors, convert each individual pixel, which represents a single color, into three pixels representing red, green, and blue (R, G, and B) colors (though there are other configurations). Can be quite mathematically sophisticated.

There are other CFA configurations, for example, RGB-IR (IR shown in **dark gray**), which is normally converted into separate RGB and IR images.

R1C1	R1C2	R1C3	R1C4
R2C1	R2C2	R2C3	R2C4
R3C1	R3C3	R3C3	R3C4
R4C1	R4C2	R4C3	R4C4

RGB-IR CFA

- Apply a [gamma](#) curve along with a tonal response to the (usually) linear raw image. $Digital\ Number\ (DN) \cong illumination^{(encoding\ gamma)}$.
- **Sharpening**, which is typically visible on edges. It boosts high spatial frequencies.
- **Noise-reduction**, which can be
 - uniform (also called *lowpass filtering*, which degrades sharpness and texture by attenuating high spatial frequencies), or
 - edge-preserving (nonuniform; also called *bilateral filtering*) [6], which lowpass filters relatively smooth regions away from sharp edges, but leaves edges alone. Almost universal in JPEG images from consumer cameras. Makes the image more visually pleasing at the expense of fine texture.
- **White-balance and color correction.** Color correction is often accomplished by applying a 3x3 [Color Correction Matrix \(CCM\)](#) to each 3-element RGB pixel.

Sharpening and the other image processing operations can also be applied later in the image processing pipeline. See [Sharpening](#) and [Gamma, Tonal Response, and related concepts](#).

The output of raw conversion is an *interchangeable image file*. Imatest (MATLAB) supports [several types](#). The most common are

Uncompressed	BMP, TIF	May require large amounts of storage
Lossless compression	TIF, PNG	Typically around half the size of uncompressed images
Lossy compression	JPG, GIF	

JPEG file compression (quality) is variable, set when saving the file. High-quality JPEGs are suitable for most *Imatest* analyses, but low-quality JPEGs have blocky artifacts that make them unsuitable. Many of the issues observed with analyzing JPEG files from consumer cameras are caused by strong image processing applied during raw conversion, especially bilateral (nonuniform) filtering [6], *not* by JPEG compression itself.

Gamma encoding and Tonal Response Curve

Raw images are almost always linear, i.e., their digital numbers (*DNs*) are proportional to the pixel illumination.

Most interchangeable images (TIFs, JPEGs, etc.) are encoded with a gamma of around 1/2.2, i.e.,

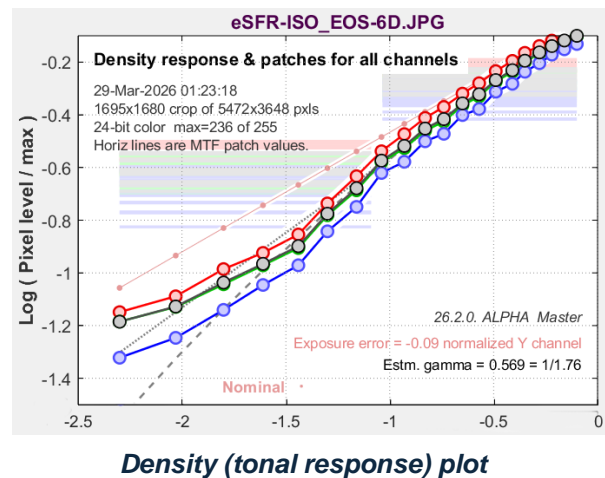
$$\text{pixel level} = \text{illumination}^{\text{encoding gamma}}$$

There are several reasons for this. In the old days of Cathode Ray Tubes (CRTs), brightness was proportional to $(\text{grid voltage})^{\text{gamma}}$, where gamma was between 2 and 2.5, so it made sense to encode the signal with the inverse, around $1/2.2 = 0.454$. Also, as explained in [Gamma, Tonal Response...](#), gamma-encoding increases the effective dynamic range, especially for files with bit depth = 8.

The full encoding curve, called the tonal response curve, is often a little more complex than a straight-line gamma curve. The curve shown above has a region of reduced slope in the highlights, called a “shoulder,” that helps to control highlight “burnout” in pictorial images.

Images need to be linearized, i.e., gamma-encoding needs to be removed, for *SFR* or *MTF* to be calculated. The linearization can be approximate.

For more information, see [Gamma, Tonal Response Curve, and related concepts](#).



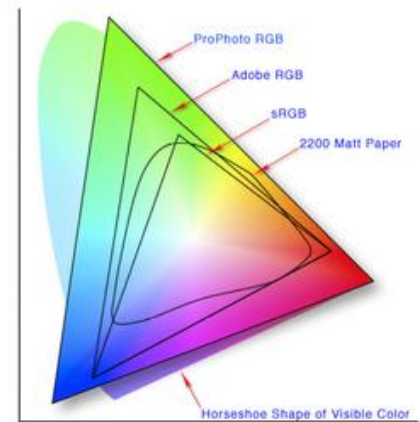
Color Space

A **Color space** is a mapping between an image's *Digital Numbers (DNs)*, most often in RGB format, and device-independent colors, generally expressed as **CIELAB ($L^*a^*b^*$)** Values. Color spaces also have associated display gammas, most often approximating 2.2, and color gamuts that quantify the range of colors that can be represented.

Raw images don't have a color space, but all interchangeable images have one, either implied or embedded.

Common color spaces

sRGB is the standard color space for still images in **Windows and the internet**. It is a relatively small color gamut color space with gamma approximating 2.2 (consisting of a small linear region and a region with gamma = 2.4).



Adobe RGB is a medium gamut color space with gamma = 2.2, often used for fine art printing, where a slightly higher color gamut is desirable. from Jeff Schewe via Wikipedia

[Several other color spaces](#) are commonly used for video and cinema.

Dynamic Range, Stray Light, and Tone Mapping

Dynamic range is the range of illumination over which a camera has good contrast and good Signal-to-Noise Ratio (SNR). It is described in depth in the [Dynamic Range](#) page. It can be measured from transmissive grayscale charts, including the three described in [Tonal measurements](#), below: the **Imatest 36-patch Dynamic Range chart**, the [Contrast Resolution chart](#), and the new and highly accurate [InfoDR chart](#).

It is important to distinguish between *camera* and *image sensor* dynamic range. Although some image sensors have extremely high dynamic ranges (as much as 150 dB, measured from flat patches at a succession of light levels), *camera* dynamic range is limited by **stray light**, also called flare light or veiling glare, that originates with light reflected from lens surfaces or the interior of the lens barrel. Stray light can be reduced by high-quality lens coatings, which reduce the light reflected from a glass-to-air surface from 4% to at best 0.4%, but it can never be eliminated entirely. Read [more about stray light here](#).

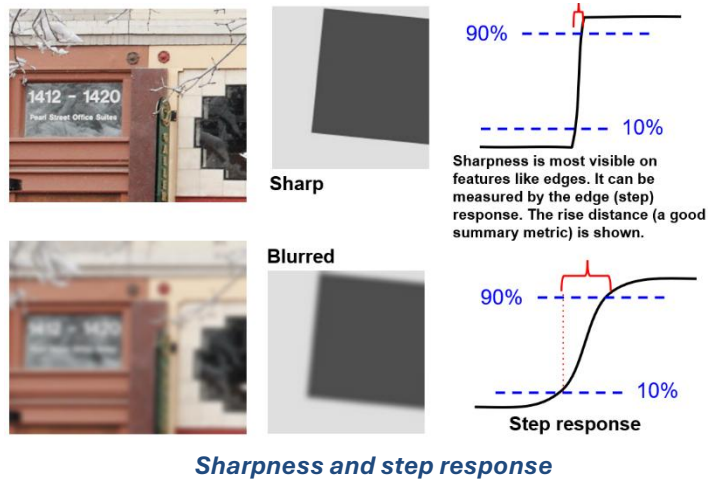
Although stray light has little effect on sharpness (*SFR* or *MTF*) or noise, it has a strong effect on C_4 information capacity, as described [below](#).

Because High Dynamic Range (HDR) images cannot be displayed well on standard displays (monitors or prints), they are often [locally tone-mapped](#) — a highly nonuniform process that maintains local contrast, but lightens dark areas enough to be visible. This can make tonal response and dynamic range measurements from standard grayscale charts quite unreliable. Local tone mapping can often be recognized by very low measured values of gamma (< 0.25 ; well below the nominal value of 0.45 for most common color spaces). *Imatest* designed the [Contrast Resolution](#) chart, to produce useful results with locally tone mapped images, but for accurate dynamic range measurements, images with nonlinear or nonuniform processing should be avoided where possible.

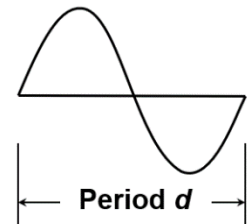
Spatial and frequency domains and sharpness: *MTF & SFR*

Sharpness, illustrated on the right, is a familiar concept. The upper image is sharp; the lower one is blurred.

Sharpness can be characterized by a [step response](#). A camera system consists of a number of cascaded components, each of which has its own step response. The total system response can be calculated by a process called *convolution*, which is complex, slow, and hard to visualize.



The overall response of a linear system is much easier to calculate in [frequency domain](#), where frequency $f = 1/(\text{Period } d)$. Spatial-domain (real-world) signals are converted to frequency domain for *MTF* analysis by the [Fast Fourier transform](#).



The sharpness of a component or a system can be characterized by its **Spatial Frequency Response (*SFR(f)*)** or **Modulation Transfer Function (*MTF(f)*)**. *SFR* and *MTF* are used interchangeably. The *SFR* of an individual component, such as a lens, is the [Michelson Contrast](#) of a sine wave of frequency f at its output, $(V_{light} - V_{dark}) / (V_{light} + V_{dark})$, normalized to 1 at $f = 0$. The total system response can be calculated by multiplying the frequency response of each component.

Frequency response can be visualized with the sinusoidal pattern below, where the upper half represents the input and the lower half represents the output, whose amplitude decreases as spatial frequency increases.

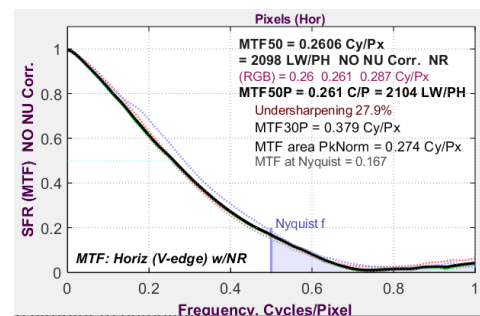


For the widely-used slanted-edge test pattern [5], *SFR* is the absolute value of the **Fourier transform** of the derivative of the step response.

SFR(f) and *MTF(f)* have native [frequency units](#) of cycles per pixel, but can be expressed as

- cycles (line widths) per picture height,
- cycles per distance (mm or inches), on the image sensor or scene (object)
- cycles per angle.

MTF and *SFR* are functions of frequency, f , normalized to 1 at $f=0$. They are plotted along with several summary metrics in the Edge & MTF plot (right). Some commonly used [summary metrics](#) are



- *MTF_{nn}* (often *MTF50*) — The spatial frequency where *MTF* drops to $nn\%$ (50%) of its value at $f=0$. Strongly affected by software sharpening.
- *MTF50P* — The spatial frequency where *MTF* drops to 50% of its *peak* value. Slightly less affected by sharpening than *MTF50*.
- *MTF area (peak normalized)* — The area under the *MTF* curve below the Nyquist frequency, $f_{Nyq} = 0.5$ cycles/pixel (the highest frequency where digital information is correctly conveyed). Relatively insensitive to sharpening.

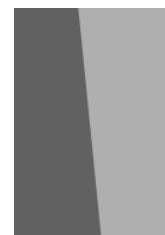
Although more extended *MTF* (higher *MTF50*) implies better sharpness, there is a limit for sampled systems. If there is significant energy above the maximum frequency where the input signal can be reconstructed — the *Nyquist* frequency, $f_{Nyq} = 0.5$ cycles/pixel, an effect called [aliasing](#) causes low frequency artifacts such as Moiré fringing, which can be disturbing for repetitive patterns.

This large subject is covered in [Sharpness – What is it and how is it measured?](#)

Slanted edge charts

Slanted edge test charts are **Imatest's** most popular charts for calculating *MTF(f)* and related metrics, but before we list the reasons, we must answer two questions.

Why are the edges slanted? They are slanted because if they were perfectly vertical or horizontal, i.e., if they were aligned exactly with the image sensor



Slanted edge

pixel boundaries, $MTF(f)$ would be highly sensitive to the sampling phase (the position of the edge with respect to the pixel boundaries), resulting in inconsistent measurements. Slanting the edges ensures that there will be multiple sampling phases, resulting in much more stable measurements. The angle is not critical. The standard calls for a 5 or 5.7 degree ($\arctan(0.1)$) tilt, but any tilt between 2 and 8 degrees will work.

Why 4:1 contrast? The original ISO 12233:2000 release called for a contrast ratio between 40:1 (about the maximum matte media can attain) and 80:1. The trouble with these values is that

- (1) it was very easy to saturate the image, even with very little exposure error, and saturation severely distorts the $MTF(f)$, making it look *better* than reality,
- (2) the value of gamma used to linearize the image had to be estimated accurately,
- (3) the high contrast tends to maximize sharpening, especially for bilateral-filtered images [6], which are common in consumer cameras, and
- (4) the contrast is much higher than most of the real-world objects that need to be detected.

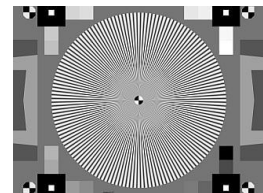
ISO 12233:2014 (and succeeding versions) corrected this by specifying a 4:1 contrast ratio, which is essentially a *very good* compromise.

- (1) it is difficult to saturate, even with moderate exposure error (though we once saw some images that were intentionally overexposed to boost MTF).
- (2) The estimate of gamma doesn't have to be very accurate. You can make an excellent estimate from the measured edge contrast if the chart contrast is known.
- (3) Signal-to-Noise Ratio, SNR , is decent down to relatively dim light.

Other advantages of slanted edges:

- Compact: small size enables MTF to be mapped over the image surface with good detail. Summary metrics like $MTF50$ or $MTF50P$ are typical displays.
- Fast calculations
- Relatively (though not perfectly) insensitive to noise

Additional charts for measuring MTF , texture, and vanishing resolutions are described [here](#).

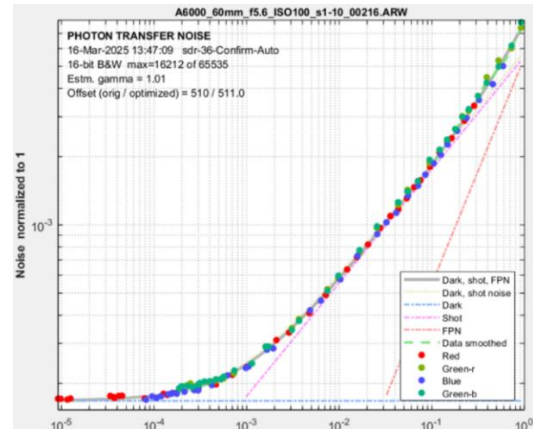


Siemens star

Noise

Noise consists of random perturbations of the image. It is traditionally measured from flat patches, and can be characterized by an amplitude, which is equal to the standard deviation of the signal when illumination is uniform, and a frequency spectrum, also called the **Noise Power Spectrum (NPS)**.

Imatest has developed a sophisticated image sensor noise model, based on the Photon Transfer Curve (PTC) [14], which displays noise as a function of exposure, measured from totally raw (undemosaiced) images, for use in the [Simatest camera simulator](#), which predicts camera performance based on traditional and information metrics. See [Image Sensor Noise – Measurement and modeling](#). As of April 2026, the model does not yet include High Dynamic Range (HDR) sensors.



Photon Transfer Curve (PTC), illustrating image sensor noise as a function of signal, obtained from a raw image.

Two broad types of noise are

- temporal noise, which is random and different for each exposure. It is gaussian or Poisson-distributed (for photon shot noise with small numbers of photons).
- Fixed pattern noise, which is always the same and often has a fabric-like repetitive pattern (not at all gaussian). There are two types, described in the EMVA 1288 standard: Dark Signal Nonuniformity (DSNU) and Photo Response Nonuniformity (PRNU).

Charts and lighting

Although inkjet chart files can be generated with the [Imatest Test Charts module](#) (this page for [SVG charts](#)), for the best results we recommend the charts in the [Imatest store](#), which has a huge selection, including many charts that must be printed on media other than inkjet, such as film charts for Dynamic Range measurements.

Once you are clear about what tests need to be performed, choosing the right test charts might seem relatively straightforward, but we strongly recommend contacting our sales engineers for assistance. Ordering the wrong chart can result in costly delays. (Our sales engineers frequently contact customers to confirm that they are ordering the charts they really need.)

The two broad categories of test chart are reflective and transmissive. The choice of chart depends on

- the *measurements needed*,
- the camera resolution ($m \times n$ pixel size),
- the field of view (i.e., the physical size of the chart),
- the lighting requirements, and
- whether the chart needs to be used for Infrared (IR)).

The operating limits of several test chart media is contained in [Test chart suitability for MTF measurements](#).

- **Reflective charts** — Inkjet charts can be printed very large, but are too coarse for small sizes, though some specialized small charts (non-inkjet) are available. Maximum optical density, D_{max} , is around 1.6 (40:1 contrast ratio) for matte charts, which don't have specular reflections, and 2.2 for semigloss charts, which can have serious specular reflections, especially for wide angle lenses. (Sometimes lighting can be arranged so specular reflections don't fall on measurement areas.) Finer photographic charts are available.

Lighting: Several [reflective lighting systems](#) are available from the [Imatest Store](#), most notably the excellent [Kino Flo lights](#).

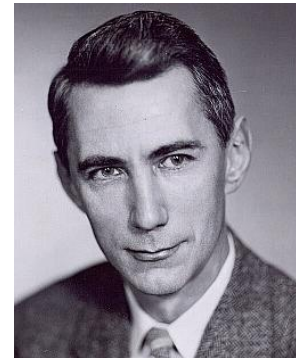
- **Transmissive charts** — can be finer than the finest reflective charts. They include
 - inkjet (coarsest; translucent),
 - photographic film (B&W or color; transparent; much higher D_{max} , (3.0 or larger) than reflective charts; for IR, color is transparent but B&W is OK). Often called “LVT” charts because they are made with the “Light Valve Technology” (laser-drum) process,
 - photomask (halftoned Black & White; very fine, visible and IR), or
 - chrome-on-glass (the finest; suitable for microscopic applications; only available in two-tone 10:1 contrast).

Because film and photomask charts cannot be manufactured with the precise tones or colors, they are supplied with CSV reference files that contain patch densities ($\log_{10}(\text{transmittance } \tau)$) for monochrome (B&W) charts of [CIELAB \(L*a*b*\)](#) values for color charts. The reference files must be entered into **Imatest** for reliable results.

Lighting: we recommend [Lightboxes or Light Panels](#) from the [Imatest Store](#).

Information theory and metrics

Claude Shannon's ground-breaking work on information theory [1,2] is the basis for calculating information capacity and related metrics from the widely-used slanted-edge test pattern, described in several recent papers from *Imatest* [3,4] and summarized in the introductory web page, [Image Information Metrics](#).



In electronic communications systems, channel (information) capacity, C , is the maximum rate in bits per second that information can be transmitted through a channel without error. For additive white gaussian noise, it is given by the deceptively simple Shannon-Hartley equation.

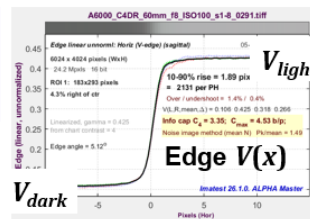
Shannon-Hartley equation for Information capacity, C

$S(f) = ((V_{light} - V_{dark}) SFR(f))^2 / 12$
is the mean signal power derived from the edge, $V(x)$: includes sharpness ($SFR(f)$).

$$C = \int_0^B \log_2 \left(1 + \frac{S(f)}{NPS(f)} \right) df$$

Bandwidth B is always the Nyquist frequency, 0.5 Cycles/Pixel.

$NPS(f)$ is the Noise Power Spectrum, from the noise image



Imaging systems are communication channels where

- Information capacity, C , has native units of **information bits/pixel** (though bits/image, bits/distance, bits/angle, etc., can also be calculated). *Information bits* should be not be confused with bits as units of storage (as in image size).
- Because C depends on test chart contrast, we define C_n as the information capacity measured directly from edges with $n:1$ contrast. C_4 , which is measured directly from the ISO 12233-standard 4:1 contrast edges [5] used in most *Imatest* slanted-edge test charts, is the amount of information that can be contained in an object with a 4:1 contrast ratio.
- $S(f) = ((V_{light} - V_{dark}) SFR(f))^2 / 12$ is the mean signal power, where
 - $V_{light} - V_{dark}$ is the signal amplitude, i.e., the difference between the mean Digital Numbers (DNs) of the two sides of the slanted edge. It is affected by stray light.
 - $SFR(f)$ or $MTF(f)$ is the spatial frequency response derived from the edge.
 - The denominator 12 scales $S(f)$ to be the mean value of signal power for uniformly distributed amplitudes between V_{light} and V_{dark} , which maximizes C .

Calculating Spatial Frequency Response, $SFR(f)$, from slanted edges has always been straightforward (using the ISO 12233 standard), but combining it with $NPS(f)$, which was traditionally calculated separately in flat regions, was cumbersome and error-prone. The breakthrough that enabled the convenient calculation of C came when we discovered how to measure signal and noise at the *same* location (which was anything but obvious). References [3] and [4] describe the algorithm in detail.

$S(f)$ is a function of image contrast ($V_{light} - V_{dark}$) that has been generally ignored in image quality calculations. This is a significant omission because ($V_{light} - V_{dark}$) is degraded by stray light from dust or dirt inside the camera or on the lens. (A good example is dried salt spray, which is common in climates where roads are salted to melt snow.) Information metrics, especially C_4 , rectify this omission.

We are particularly interested in C_4 , which is the maximum information capacity that can be conveyed by an object with a 4:1 contrast ratio, which is typical of objects (e.g., neutral-colored cars or clothes on neutral backgrounds, such as concrete) that need to be detected in important applications, such as automotive imaging. C_4 is also the key metric for performance as a function of illumination, measured with the [InfoDR](#) chart.

Because C_4 is a strong function of signal level, a standard signal level should be used when reporting it. A good choice is to set the exposure so the normalized edge level, $L_{edgeNorm} = DN_{edgeMean}/DN_{max} = 0.18$, where $DN_{edgeMean}$ is the mean linearized Digital Number of both sides of the edge and DN_{max} is the maximum Digital Number, typically $2^{(\text{bit depth})} - 1$. 0.18 (18%) is sometimes considered “neutral gray.” C_4 measured at this level can be labeled $C_4(0.18)$. [We considered 50%, but it was too close to the maximum level, $(100\% + 25\%)/2 = 62.5\%$, for an image where the bright patch is saturated.]

The key point is that **information capacity C is a function of three factors:**

- (1) **image contrast**, $V_{light} - V_{dark}$ (or *Michelson contrast*, $(V_{light} - V_{dark}) / (V_{light} + V_{dark})$),
- (2) **sharpness**, $SFR(f)$, and
- (3) **Noise Power Spectrum**, $NPS(f)$,

making it a **complete** image quality metric with units of information bits per pixel, in distinction to the three individual factors, which are *partial* metrics. For comparing cameras, C should be measured at a standard normalized digital level.

[Note that this statement omits other important metrics, such as color and optical distortion, that don't

References [3-4] describe techniques for calculating $NPS(f)$ and $S(f)$ from the *same* slanted-edge location, making the calculations fast and robust. They also define additional

metrics such as SNR_i (Ideal observer SNR) [4,8-10], which quantifies how well an object of a given size can be detected.

These calculations work best with minimally or uniformly processed images. They are less accurate, though still of interest, for JPEG images from consumer cameras, most of which have been bilateral (nonuniformly) filtered [6].

The real advantage of information capacity and related metrics is that they directly answer the question, “How good is this image?” Sharpness, which is typically measured as MTF_{50} (in units of [cycles/pixel](#), [cycles/image height](#), or [cycles/distance](#)) doesn’t fully answer the question.

“Well! I’ve often seen a cat without a grin,” thought Alice; “but a grin without a cat! It’s the most curious thing I ever saw in all my life!”



Significant interpretation is required for MTF measurements, especially since MTF_{50} and related measurements are affected by software sharpening, which adds no information to the image. The same holds for Signal-to-Noise Ratio, SNR . For a flat patch, $SNR = 20$ dB (10:1) looks pretty good, but 0 dB (1:1), which is commonly used to define Dynamic Range, looks *terrible*. Visual appearance offers limited clues about how traditional metrics relate to object detection.

Imatest users will need to determine the values of information metrics, usually C_4 and a related metric such as SNR_i , that need to be specified to meet the performance requirements of their system. Once specified, these values should be more stable and robust than MTF or SNR , which is why we are confident that information capacity, even though it’s unfamiliar and difficult to visualize, will become a key image quality metric.

A paper by [Dairmaid Geever et. al.](#) of the University of Limerick, [“Information Capacity as a Predictor of Perception Performance”](#) [13] contains the first results that correlate machine vision performance with information capacity.

Imatest is actively working on **ISO 23654**, “Digital imaging — Image information metrics,” which will describe how information capacity and related metrics, including C_4 , are calculated and interpreted. Expected publication date is November 2028. New committee members are welcome.

Ideal Observer SNR, SNR_i

Of the metrics derived from information theory, **Ideal Observer SNR, SNR_i** , which quantifies how well an object of a given size can be detected based on Bayesian statistics [4,8-10], is one of the most useful. Unlike C , SNR_i is affected by image signal processing (sharpening, etc.).

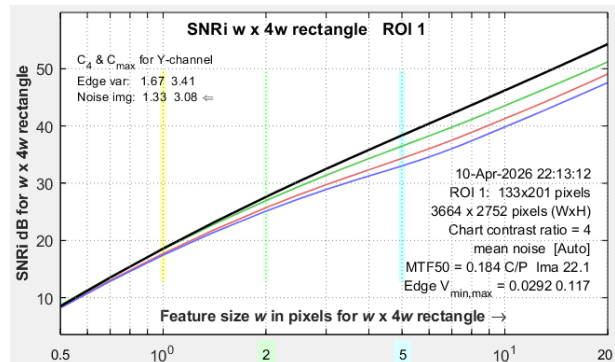
SNR_i is derived from an integral that includes the Fourier transform of the object, $G(v_x, v_y)$, for spatial frequency, $v = \sqrt{v_x^2 + v_y^2}$.

SNR_i is equivalent to the total (integrated) noise-whitened Signal/Noise energy of the object in the spatial domain.

$$SNR_i = \frac{\iint (|G(v_x, v_y)|^2 SFR^2(v_x, v_y))}{NPS(v_x, v_y)} dv_x dv_y$$

SNR_i is typically calculated from rectangles of size $w \times kw$ pixels, where $k = 1$ for a square or 4 for a 1:4 aspect ratio rectangle, as illustrated by the plot on the right.

It's important to note that SNR_i for $w \times kw$ pixels only indicates the *presence* of an object. To *identify* it, i.e., to distinguish a car from a boat from a person, much smaller sizes should be used: roughly 1/10 the total object size. (This subject needs more research.) SNR_i can be plotted for several values of w (1, 2, 3, 5, 10, and 20 pixels) for a wide range of exposures using the [InfoDR chart](#), as shown here.



SNR_i for $w \times 4w$ rectangles with $w = 0.5$ to 20 pixels for the compact camera used in this document.

Performance specifications — more questions than answers

Imatest was founded to enable customers to make fast, accurate, and cost-effective image quality measurements, primarily sharpness, with noise, color, and tonal response close behind. We have consistently encouraged customers to move away from obsolete measurements like vanishing resolution (still available with wedges) to more up-to-date and accurate measurements like *MTF*.

The introduction of image information capacity and related metrics is a real paradigm shift that offers strong potential benefits and comes with equally strong challenges. A major

potential benefit is improved test results, with fewer false positives and false negatives, saving time and money. But this will require determining suitable pass/fail thresholds, based on SNR_i or C_4 , which will take effort and understanding, and the knowledge gained will need to be communicated to customers.

Determining pass/fail thresholds for traditional metrics, such as a combination of sharpness and noise (or SNR) may well be **more** complex than for a single information metric such as SNR_i — the key information-based metric for object detectability. The object size for measuring SNR_i is normally considerably smaller than the total object size because small features (a person’s hand, face, shoe, etc.) enable the type of object to be identified.

Better specifications, i.e., improved pass/fail criteria based on information metrics such as SNR_i , produce more reliable test results with fewer false positives or false negatives, leading to **significant savings in time and money.**

To strengthen the case for the new metrics, we need to remind the reader that older sharpness summary metrics, such as MTF_{50} , may be familiar, but can be *highly* misleading because they are strongly affected by sharpening and bilateral filtering, which can make sharpness numbers arbitrarily high without improving object detectability. They can even degrade performance by boosting artifacts like noise. We even wrote a paper about it, [Correcting Misleading Image Quality Measurements](#) [15]. (The paper helped motivate us to develop the information metrics.)

We encourage customers to step back and ask questions like “Will this test (or set of tests) help improve camera quality?” and “How well does this test correlate the camera’s success at performing its intended task?” There are plenty of questions to be answered, related to using the new metrics. We encourage you to contact us to discuss any of the topics in this document.

Camera characterization

To fully characterize camera performance, the “**Three Pillars of image quality measurement**” are recommended.

- I. **Spatial measurements over the image field**, consisting of sharpness, information capacity, and often lateral chromatic aberration, each measured at multiple locations in the image, usually at a single illumination level. Spatial measurements may include optical distortion, uniformity, and texture (which is only an issue for nonuniformly processed, i.e., bilateral-filtered images). A spatial measurement at a single location is *never* sufficient to characterize a camera’s performance.

- II. **Tonal measurements**, usually made near the center of the image. These require a grayscale test chart — typically a transmissive chart with a large density range. Measurements include tonal response and noise, Signal-to-Noise Ratio (SNR), and Information capacity, C_4 (measured from the newly designed [InfoDR chart](#)), as a function of illumination. Dynamic Range is derived from these measurements.
- III. **Other measurements**. These include color response, (flat field) uniformity, and defect analysis (also from a flat field image), none of which are directly related to information metrics.

Believe it or not, that pretty much covers the key image quality measurements. Each measurement can, of course, be made in a number of different ways, depending on the application, field of view, lighting requirements, and camera resolution. Many test charts enable multiple measurements from a single image.

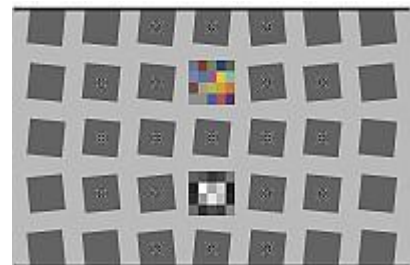
Spatial measurements over the image field

These involve measuring sharpness, information capacity, and often lateral chromatic aberration, measured over the image field, usually at a single illumination level. This is typically done with a test chart that contains multiple slanted edges, which make efficient use of space for measuring *MTF*. Although Distortion and Uniformity (light falloff) can also be considered spatial measurements, we will limit our discussion of them because they don't directly contribute to information capacity.

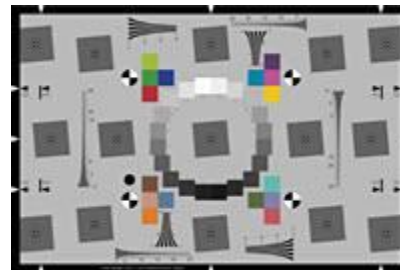
We recommend one of the four multi-ROI charts supported by **Imatest Rescharts**. These charts are summarized by a [table in the Imatest Documentation](#). All can measure sharpness for all edges and Lateral Chromatic Aberration (LCA) in the outer edges. They are designed to fill the frame, individually (SFRplus, eSFR ISO, or Checkerboard) or as a group (SFRreg).

Table of spatial resolution charts

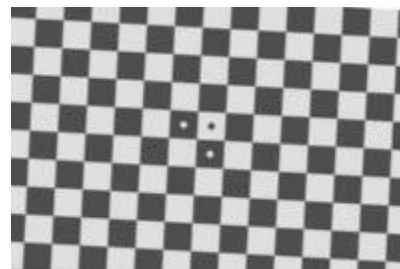
SFRplus — Excellent spatial resolution: many slanted edges, Color and grayscale patches are present, but too small for good noise statistics. Good optical distortion measurements (though less detailed than Checkerboard). Must be framed with white space above and below the top and bottom bars.



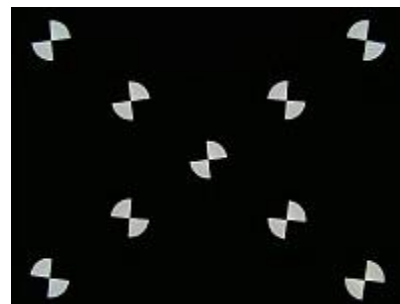
eSFR ISO — An enhanced version of the edge SFR chart illustrated in the [ISO 12233 standard](#) [5], with additional slanted edges, wedges, and colors. Good spatial resolution (though not as good as SFRplus or Checkerboard). Very limited optical distortion measurements.



Checkerboard — High spatial resolution. Most detailed optical distortion measurements. No grayscale or colors. Works over a wide range of magnifications, limited only by chart quality and ROI size.



SFRreg — Several charts are needed to cover the field of view. Not recommended for applications where any of the above three charts do the job. Useful for long distances or extreme wide-angle lenses. No distortion, color, or grayscale measurements, though color and/or grayscale charts can be added between the SFRreg charts.



These charts come in a great many sizes and media, allowing you to choose the one that best suits your needs.

The test chart must be large and fine enough to produce reliable sharpness results, i.e., if the chart is magnified (shrunk) to the same size it would occupy on the image sensor, it should be significantly sharper than the lens. Test chart suitability is discussed in two *Imatest* web pages, [Test chart suitability for MTF measurements](#), and (for charts operating close to their limits), [Compensating camera MTF measurements for chart and sensor MTF](#).

Spatial (slanted-edge) results

The results shown below are from [eSFR ISO](#), but can be generated by any of the slanted-edge charts listed above.

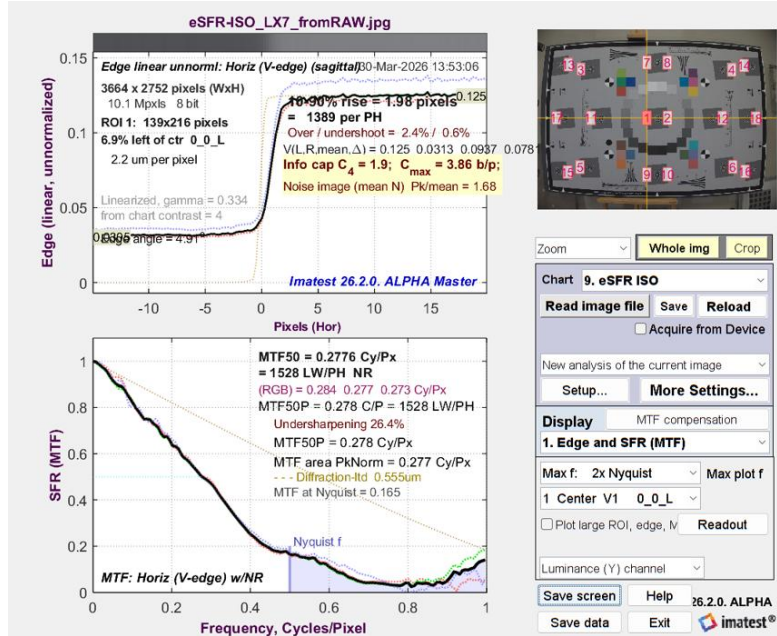
Edge & MTF plot

The Edge & MTF plot is one of the original plots included in *Imatest*. The most recent enhancement is the addition of Information capacities (C_4 and C_{max}). We show three plots.

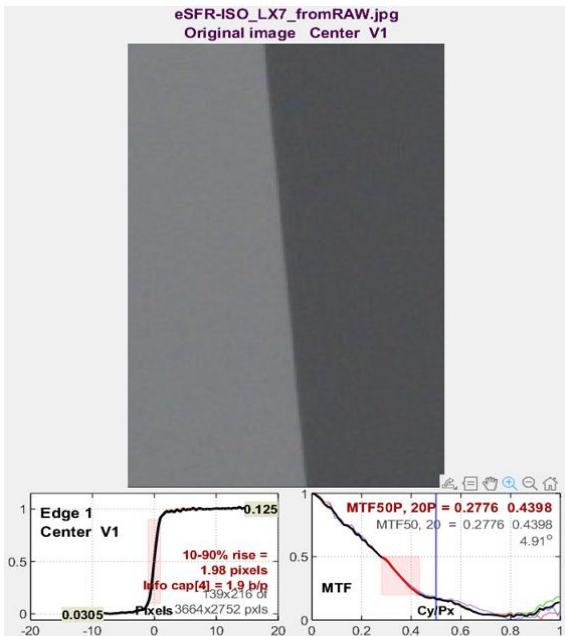
1. From a raw image converted from LibRaw with minimal processing (no sharpening or noise reduction). The complete Rescharts window is shown.
2. Same as 1 with **Plot large ROI...** checked: allows you to examine the ROI closely.
3. From a JPEG image, which has been sharpened and bilateral filtered.

Note that the shapes of the edge and MTF in the raw-converted image (1 & 2) are characteristic of unsharpened images. The peaks in the JPEG results (3) are characteristic of strongly sharpened images. They can be thought of as a “signature” of sharpening.

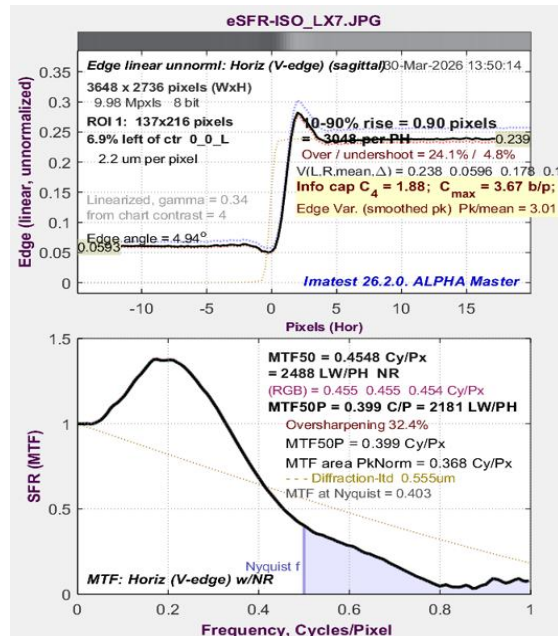
MTF50 and MTF50P are greatly boosted for the JPEG, which is strongly sharpened, but C_4 information capacity is nearly unchanged.



1. Edge & MTF plot from raw-converted image with minimal processing



2. Same as 1 with Plot large ROI... Checked

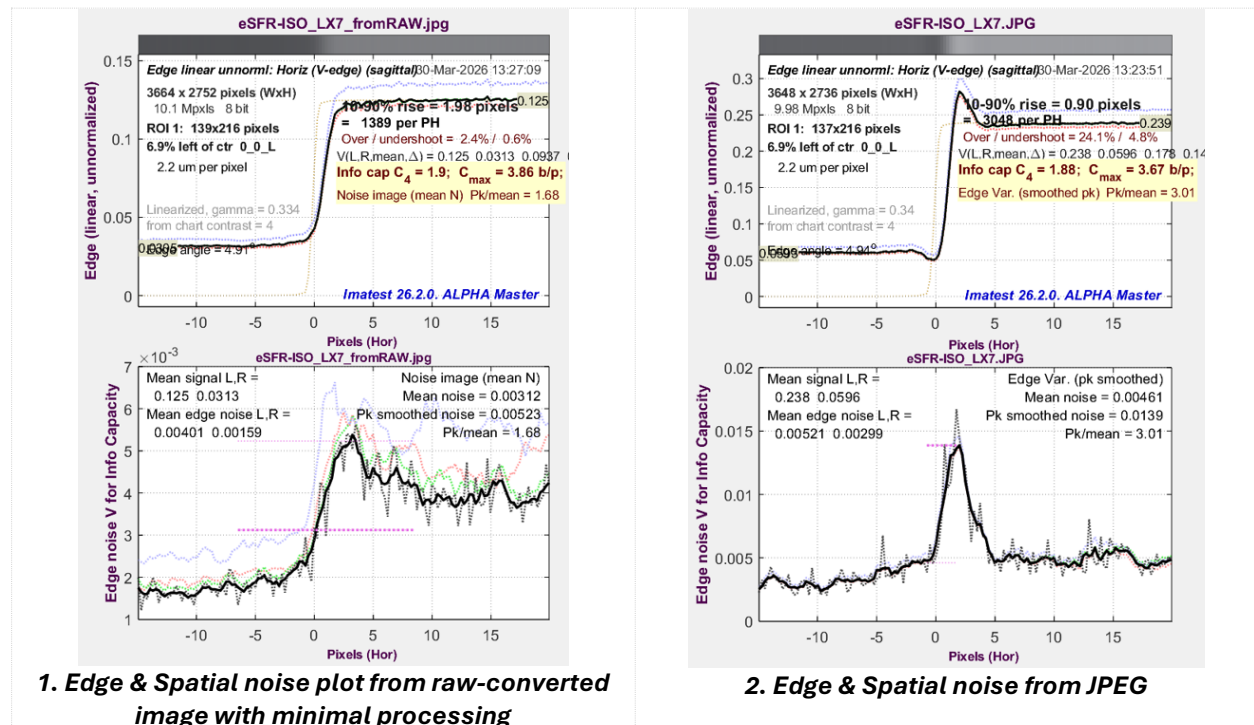


3. Edge & MTF from JPEG

Edge & Spatial noise plot

The spatial noise plot was added to **Imatest** at the same time as the information capacity calculations. The plots below are for (1) a raw-converted (unsharpened) image and (2) a JPEG (bilateral filtered and strongly sharpened) image.

The large spatial noise peak for the JPEG (lower plot, below-right) is striking and important. As we've indicated in earlier documents introducing the information metrics, it indicates the presence of bilateral filtering [6], which can cause texture loss, but it's not 100% reliable. Sometimes peaks appear in uniformly processed images, but they are generally small, like the peak on the left, below. A peak may be absent if the bilateral-filtered image is out of focus or the lens is defective. On one occasion we found an unexpected strong peak in a "raw" image from a premium camera phone that didn't seem to affect the performance.

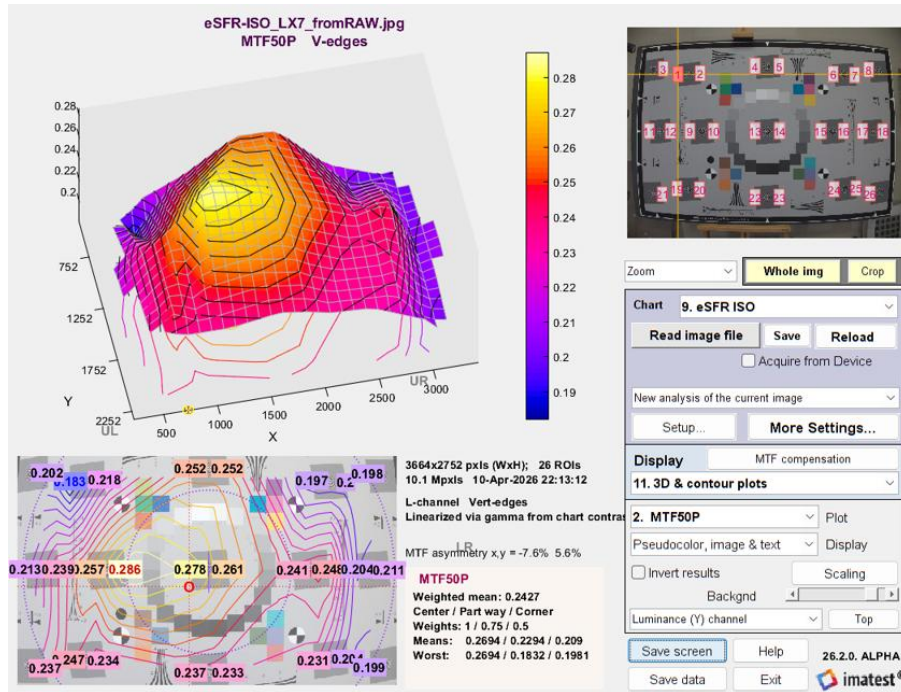


If a strong peak indicating bilateral filtering is present, it may be worthwhile to analyze the camera with a [Dead Leaves \(Spilled Coins\)](#) or [Log Frequency-Contrast](#) chart to determine the amount of the texture loss.

3D plot (summary results plotted over the image surface)

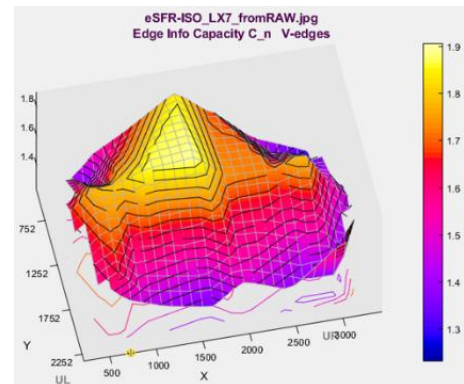
3D plots, which include weighted summaries of results, are available for a large number of summary metrics (MTF_{50} , MTF_{50P} , MTF Area, Information capacities C_4 and C_{max} , etc.) We show results for MTF_{50P} —the spatial frequency where MTF falls to half its peak value—

which is relatively insensitive to exposure. MTF_{50P} is identical to MTF_{50} and very close to MTF area (Peak normalized) for images that are unsharpened or have low sharpening (no response peaks).



3D plot of MtF_{50P} over the image surface.

C_4 information capacity closely tracks MTF_{50P} , but it is highly sensitive to exposure, hence it is useful primarily for its *relative* values, unless exposure is carefully controlled. If you plan to use C_4 , we recommend aiming for an average edge reflectance (the mean of the light and dark portions of the linearized ROI) of 0.18, which is close to “neutral gray.” Measurements of C_4 as a function of exposure are described in the section on the [InfoDR](#) chart below.



3D plot of C_4 information capacity

Additional spatial resolution charts


Several additional charts, shown below, are available in *Imatest* for *SFR (MTF)* measurements. They are all less efficient in their use of space than the slanted edge, hence less appropriate for mapping sharpness over the image field, but they have several specialized uses, such as measuring texture.

Sharp, contrasty features:
For perceptual sharpness. Sensitive to sharpening (HF boost)


Low contrast:
For texture measurements. Most sensitive to noise reduction (LPF)

<http://www.imatest.com/docs/sharpness/#matrix>


SFR, SFRplus, eSFR ISO, SFRreg, Checkerboard:
Slanted-edge (depends on contrast)



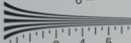
Spilled coins




Random 1/f




Wedge:
Better for onset of aliasing than MTF




Star Chart: Siemens star (depends on contrast)



Log F-contrast (wide range of contrast)



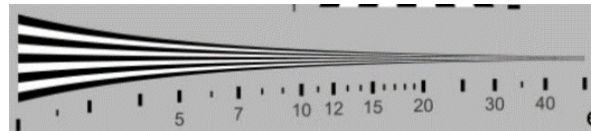
Log Frequency



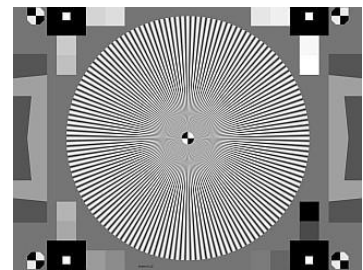
MTF test patterns, ordered by contrast ranges: high on left; low on right

Several additional charts, shown above, are available in *Imatest* for *SFR* (MTF) measurements. They are less efficient in their use of space than the slanted edge, hence less appropriate for mapping sharpness over the image field, but they have their uses, such as measuring texture. They are included here primarily for reference.

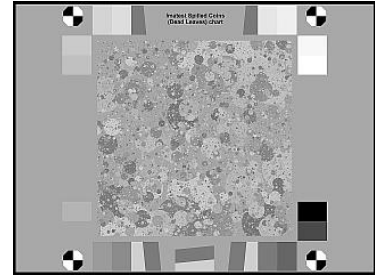
Wedge — *Imatest's logarithmic wedges* have a much better frequency distribution than traditional hyperbolic wedges, resembling Bode or frequency response plots. Primarily designed for visual analysis, but *Imatest* can analyze them for the onset of aliasing (closely related to vanishing resolution). There is significant demand from industry, but we don't consider wedge measurements to be vital for assessing camera performance.



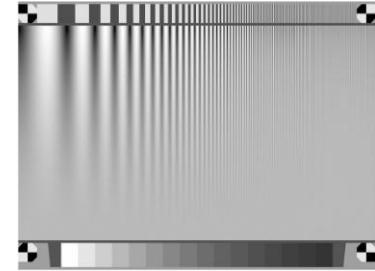
Siemens star — widely-used, but less space-efficient than the slanted edge. Slightly less sensitive to bilateral (nonuniform) filtering. Low-contrast versions may be useful for measuring texture. It can be used to [measure information capacity](#), where its continuous-tone design makes it valuable for measuring the effects of data compression.



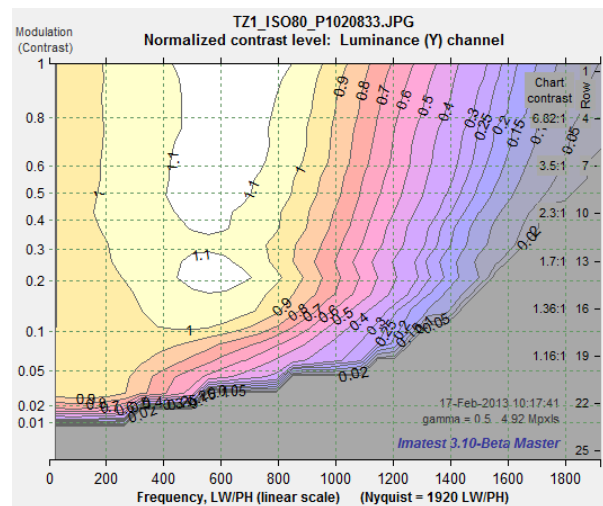
Dead Leaves or Spilled coins (*Imatest's* implementation of Dead Leaves) — Widely used for measuring texture, but results can be [confusing](#) because the threshold for sharpening/noise reduction can be lower than the maximum contrast (3:1) of the chart. This causes some edges to be sharpened and others to be blurred, [muddling the results](#). Its random design makes it relatively immune to AI “cheating” (recognizing the chart design, then creating a perfect replica to pass tests flawlessly).



Log-F Contrast — a sinusoidal chart whose spatial frequency increases along the x-axis and contrast² (i.e., modulation²) increases along the y-axis. Useful for displaying the effects of bilateral filtering [6] on texture when a noise peak in the [Edge & Spatial noise plot](#) indicates its presence.



Because Log-F Contrast is particularly good for illustrating the texture loss from bilateral filtering, we illustrate a key result. The high contrast sinusoids near the top of the image (modulation > 0.2) have a significant sharpening boost that disappears at low modulation (< 0.1), where lowpass filtering (noise reduction), which blurs out fine texture, is increased. The contour boundaries are mostly vertical when uniform processing is applied.



Log F-Contrast results

Tonal measurements

Tonal measurements are complimentary to the spatial measurements described in the previous section. They are made from transmissive grayscale charts, which can have a larger tonal range (maximum density, D_{max}) than reflective charts. For medium to high resolution cameras (> 2 megapixels) the test chart images should occupy the central portion of the image, i.e., the chart image is not designed to fill the frame.

Although we describe three charts for tonal measurements, we will emphasize the InfoDR (Information-based Dynamic Range) chart, which conveniently measures C_4 information capacity over a wide range of illumination from a single exposure. *Strongly recommended* for new work.

Photographing and analyzing tonal charts — Charts should be backlit with a lightbox or light panel and photographed in a dark environment, with care taken to minimize reflections back to the chart. They normally occupy the central portion of the image. If you can control the exposure,

- For standard Dynamic Range (DR) measurements from flat patches ([DR36 charts](#), etc.), expose so a maximum of one patch is saturated.
- For [InfoDR](#) DR measurements, which are derived from slanted edges, i.e., pairs of patches, expose so the maximum mean density is a little *under* saturation. This reduces a calculation inconsistency when the lighter patch nears saturation.

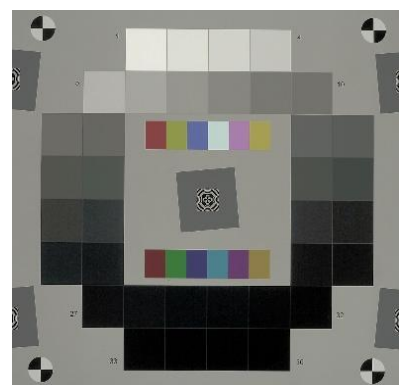
The use of transmissive charts for measuring dynamic range is described in [Dynamic Range](#). There are several flavors in two broad categories: camera [c] and sensor [s].

Name	Chart	Description
DR_{SNR-36}	DR36 [c]	The widely-used traditional <i>DR</i> measurements, from the scene-referenced SNR of flat patches. A minimum slope is required. Quality levels from “high” (20 dB) to “low” (0 dB).
$DR_{SNR-info}$	InfoDR [c]	
DR_{CR}	Contrast Resolution [c]	Based on $SNR_{CR} = (\text{light signal} - \text{dark signal}) / (\text{mid noise})$, where “mid” refers to the large surrounding patch (middle density).
DR_{C4}	InfoDR [c]	Measured from C_4 information capacity. Quality levels from “Excellent” ($C_4 = 2$) to “Bad” ($C_4 = 0.1$) are not exactly the same as the SNR-based measurements. Best performance predictor.
DR_{sensor}	Flat field image [s]	Image sensor <i>DR</i> , from a succession of differently-exposed flat images. From EMVA 1288. Generally larger than camera <i>DR</i> because there is no stray light.

36-patch Dynamic Range (DR36) charts

[36-patch Dynamic Range charts](#) are widely used for measuring tonal response and dynamic range, DR_{SNR-36} . They come in one-, two-, and three-layer versions with maximum (patch – base) densities, ($D_{max} - D_{base}$), of 2.5, 5, or 7.5, equivalent to 50, 100, and 150 dB. The added layers cover the bottom three rows of the active chart pattern.

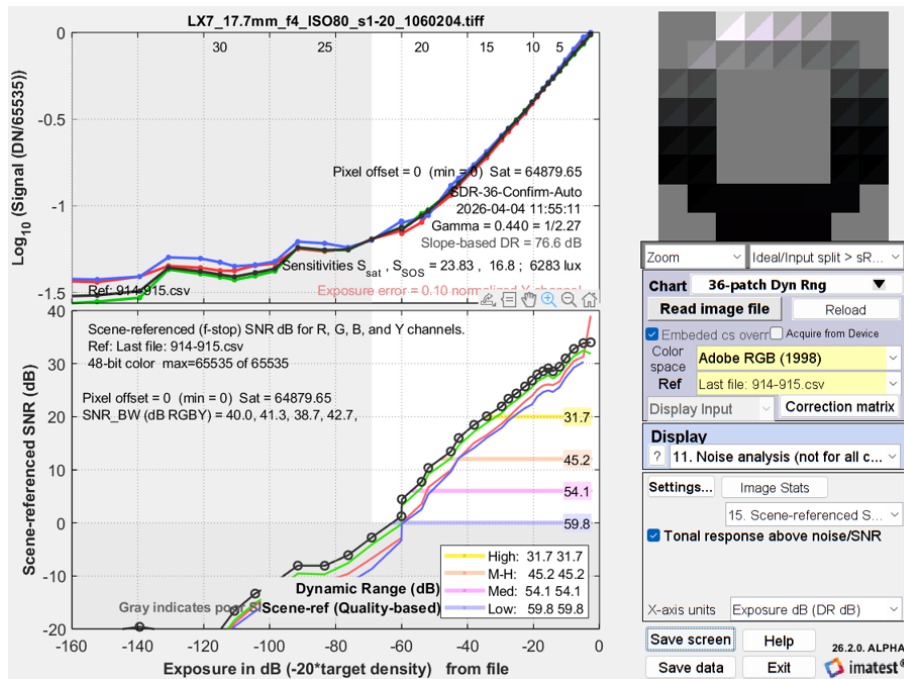
Dynamic range DR_{SNR-36} is measured from [scene-referenced SNR](#), which can be simplistically defined as the noise in each patch divided by the derivative of the patch’s digital number with respect to illumination.



DR36 chart

The figure below shows the primary output of a DR36 run for a 10-megapixel compact camera: the Noise analysis, displaying scene-referenced SNR and Dynamic Range for several quality levels.

The upper plot is the tonal response (also called OECF). Measured gamma = 0.440 is almost exactly the ideal value of $0.454 = 1/2.2$ for standard color spaces. The “plateaus” in the dark region (Exposure < -90 dB) are caused by stray light (“ghost images”) reflected from the lighter upper rows of patches to the darker lower rows. This has been slightly improved in the new V2 version, where the lighter patches are in the central rows. The dynamic range is shown in the colored horizontal bars in the lower plot: 31.7 dB for “High” (SNR = 20 dB = 10); 59.8 dB for “Low” (SNR = 0dB = 1), where the quality is so poor that it would be difficult to distinguish any detail in moderate-contrast objects. There is no simple way to relate SNR-based Dynamic Range, DR_{SNR-36} , to C_4 information capacity.

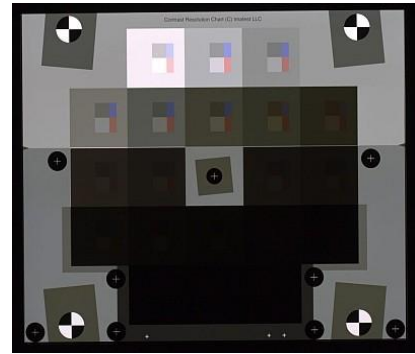


DR36 results: Noise analysis showing Scene-referenced SNR & Dynamic Range, DR_{SNR-36}

Contrast Resolution chart

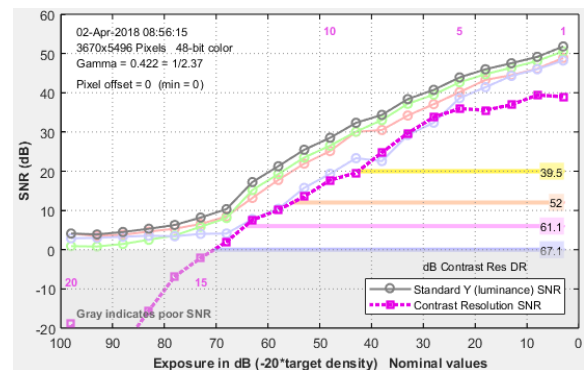
The [Contrast Resolution chart](#) was designed to measure the visibility of low contrast objects over a wide range of tones.

It consists of twenty large patches that cover a 95 dB tonal range, each of which contains four smaller patches. The small light and dark gray patches have a 2:1 (6 dB) contrast ratio (Michelson contrast = $(\tau_n - \tau_{n-1}) / (\tau_n + \tau_{n-1}) = 1/3$) with the same mean density as the surrounding large patch.



Contrast Resolution chart

The difference between them defines the signal for the [Contrast Resolution Signal-to-Noise Ratio \(\$SNR_{CR}\$ \)](#) measurement, where noise is measured in the larger gray patch, which has better noise statistics. The difference signal responds correctly to flare light or uncorrected black level offset, and should be relatively unaffected by tone mapping. The red and blue patches are for visual analysis-only.



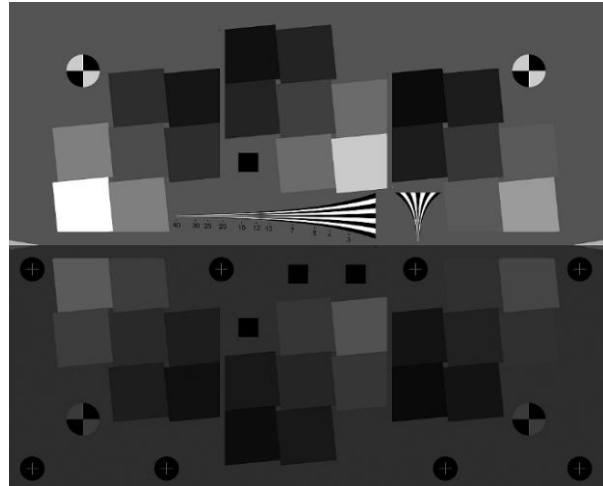
Contrast Resolution Dynamic Range, DR_{CR}

Information-based Dynamic Range (InfoDR) chart

The Information-based (InfoDR) Dynamic Range chart, introduced in early 2026, is a major addition to **Imatest's** menagerie of measurements. Because its approach to measuring C_4 information capacity over a wide range of illumination is a major improvement over previous Dynamic Range and low-light measurements, we describe it in detail.

The transmissive InfoDR chart consists of 6 groups of patches: 3 lighter on top and 3 darker on the bottom. Within each group, all boundaries between all adjacent patches consist of slanted edges with a 4:1 contrast ratio ($\Delta D = 0.6$). The groups are offset from their neighbors by $\Delta D = 0.2$.

The overall chart has 27 distinct values of D with $\Delta D = 0.2$, for a patch tonal range of 104 dB or an edge tonal range of 92 dB

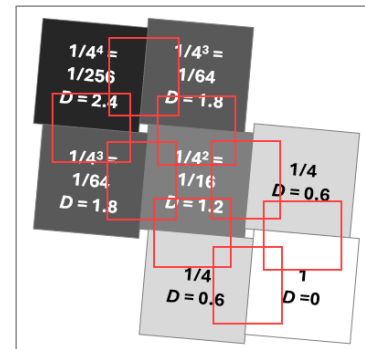


2-layer transmissive InfoDR chart

InfoDR chart design

The InfoDR chart is designed to

- measure C_4 from 4:1 contrast edges ($\Delta D = 0.6$)
- over a wide range of illumination in a compact area where sharpness (SFR) is reasonably consistent,
- with smaller density steps ($\Delta D = 0.2$) for the overall chart to achieve good tonal resolution.



Building blocks of the InfoDR test chart

Because 4:1 ($\Delta D = 0.602$) density steps are coarser than desired, we designed a two-layer transmissive chart, with 3 groups of 7 patches on the top and 3 on the bottom that mirror the top, where each group is offset by $\Delta D = 0.2$ from its neighbors. The bottom half of the chart is covered with a sheet with $D = 2.4$.

The design was accomplished with the building blocks shown above. The lightest patch (transmittance $\tau = 1$; density $D = 0$ relative to the base density) is shown on the lower right. The two neighboring patches (to the left and above) have $\tau = 1/4$ ($D = 0.602$). The next single patch, adjacent to the previous two, has $\tau = 1/16 = 1/4^2$ ($D = 1.204$). This progression {1, 2, 1, 2... patches} continues as needed. All of the boundaries between adjacent patches are slanted edges with a 4:1 contrast ratio, equivalent to density step $= \Delta D = 0.602$ or Michelson contrast $= (\tau_n - \tau_{n-1}) / (\tau_n + \tau_{n-1}) = 0.6$.

The chart has 42 patches with 27 distinct values of D , for a total patch density range is 5.2 (104 dB)

The **InfoDR** chart has 24 near-horizontal and 24 near-vertical slanted edges (48 total) with an edge density range of 4.6 (92 dB) in steps of $D = 0.2 = 4$ dB, which is sufficient for the great majority of cameras, including High Dynamic Range (HDR) cameras, which can have up to 150 dB *sensor* dynamic range. But practical *camera* dynamic range is limited to around 100 dB by stray light from lens surfaces and interior reflections.

Working with the InfoDR chart

The most important considerations when photographing the InfoDR chart are

- The active area of the chart should fill only the central portion of the image, about 600 to 1000 pixels (vertically). Fewer pixels may reduce measurement consistency; more is unnecessary and increases the likelihood that the outer edges may be far enough from the image center to have reduced *SFR*.
- The chart should be back-illuminated with a lightbox or light panel in a dark environment, taking care to minimize the light reflect back to the chart.
- For best accuracy, exposure should be set so the brightest patch is just below saturation.
- **The chart must be accurately focused to obtain correct values of C_4 .** This is not required for traditional SNR-based Dynamic Range measurements, where some misfocus can be tolerated.
- To display C_4 results as a function of *absolute* illumination, lightbox luminance must be measured. Otherwise, the x-axis will have *relative* units — Log_{10} exposure (–Density), Exposure (dB), or F-stops (EV) (all based on chart density).

- As of April 2026, the InfoDR chart is only available in 7.75x9.25 inch (197x235 mm) LVT color film. It should be easy to make smaller (but not microscopic) versions. We are working on a larger VisNIR photomask version.

Measuring luminance — Because all illumination comes from behind the chart, a luminance (reflected light) meter is required for absolute light measurements. Luminance meters have limited fields of view for measuring the source (lightbox) luminance, L_{source} , or patch luminance, L_{patch} . The relationship between the two is $L_{source} = L_{patch} 10^{D_{patch}}$, where D_{patch} is the patch density obtained from the density reference file. The meter can be held very close to the chart (even in contact) because shading isn't an issue.

Edge contrast adjustment

The nominal edge contrast for measuring C_4 is 4:1 ($\Delta D = 0.602$). However, actual chart densities, and hence edge contrasts, vary because transmissive charts cannot be manufactured with perfect consistency, which is why they are supplied with individually-measured density files.

The actual density increment of edge i is the difference between the adjacent measured patch densities, i.e., $\Delta D_i = D_j - D_k$ for adjacent patches j and k . To correctly represent the edge signal for the C_4 calculation, replace nominal $\Delta V_i = (V_{light} - V_{dark})$ with

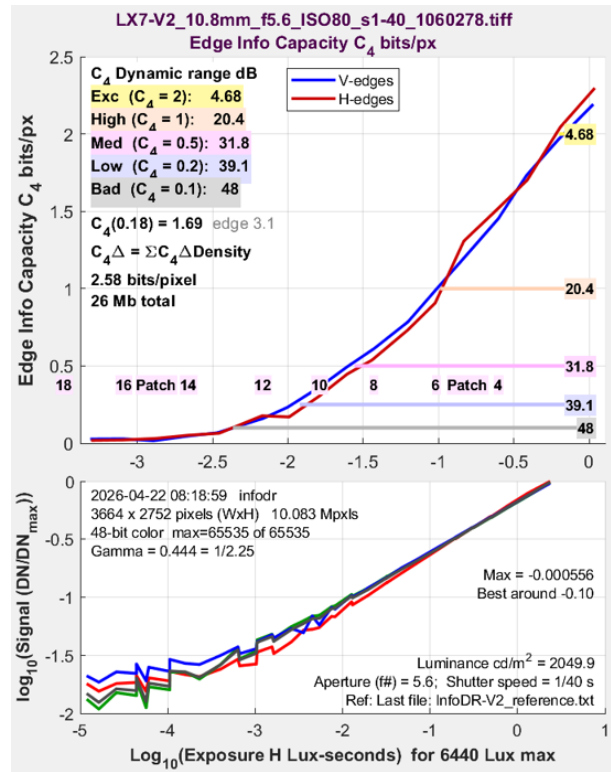
$$\Delta V_{i-corrected} = \Delta V_i 10^{(mean(\Delta D) - \Delta D_i)}$$

Where $mean(\Delta D) \cong 0.602$ is the *mean* measured patch density increment.

InfoDR Results

Tests were performed on several consumer cameras that had raw output, which could be challenging to obtain with some development systems.

The figures on this and the next page contain the most significant results from the InfoDR chart. The upper plot of each figure contains C_4 as a function of exposure and the Information-based Dynamic Range, DR_{C4} . The lower plot displays the logarithm of the normalized digital number, $\log_{10}(DN/DN_{max})$ for each patch, i.e., the density response or OECF (Opto-Electric Conversion Function), which is equivalent to a classic film characteristic curve.



for a 10-megapixel compact consumer camera with 2.14 μm pixel size and a premium zoom lens.

The bumps in the lower tonal response plots are caused by reflections from the light to dark patches. They are more regular but clearly worse for the DR36 chart, shown above, where the minimum value of $\log_{10}(DN/DN_{max})$ only reaches -1.5 .

The x-axis, $\log_{10}(\text{Exposure } H \text{ in Lux-seconds})$ of the figures, is the approximate exposure at the focal plane for each patch, derived from ISO standard 12232:2019, Annex B [12].

$$H \cong \frac{0.65 L t}{A^2}$$

where A is the aperture (the lens f-number), t is exposure time in seconds, and L is the patch luminance in candelas per meter² (cd/m^2).

A and t are often available from EXIF metadata. The equation involves several approximations, most notably, lens transmission factor $T = 0.9$. T is easy to find for cinema lenses, but is rarely available and difficult to measure for still camera lenses. Since it can vary from about 0.85 to 0.95, depending on the number of lens surfaces and the quality of the coatings, the 0.9 approximation should be adequate for most applications. The ISO 12232 standard has a more precise equation for close distances (image distance $< 10 \times$ lens focal length) or when T is known.

$C_4(0.18)$ is C_4 measured at the mean linearized & normalized edge pixel level of 0.18.

$C_4\Delta$, shown on the left of the upper plots, is a preliminary heuristic figure of merit that combines C_4 and dynamic range. Its value is close to the maximum information capacity, C_{max} , and it correlates well with the perceptual quality of cameras we've tested, which range from the compact camera above to the high-end heavyweight below.

[Note that C_{max} , which was described in earlier papers on information metrics, has been de-emphasized because there are several pitfalls in calculating it: it can be inaccurate for HDR image sensors, where good noise models would be complex (and different for each sensor) if they were available, or if the maximum Digital Number is less than $2^{(\text{bit depth})-1}$.]

$C_4\Delta$ is calculated from a simple summation,

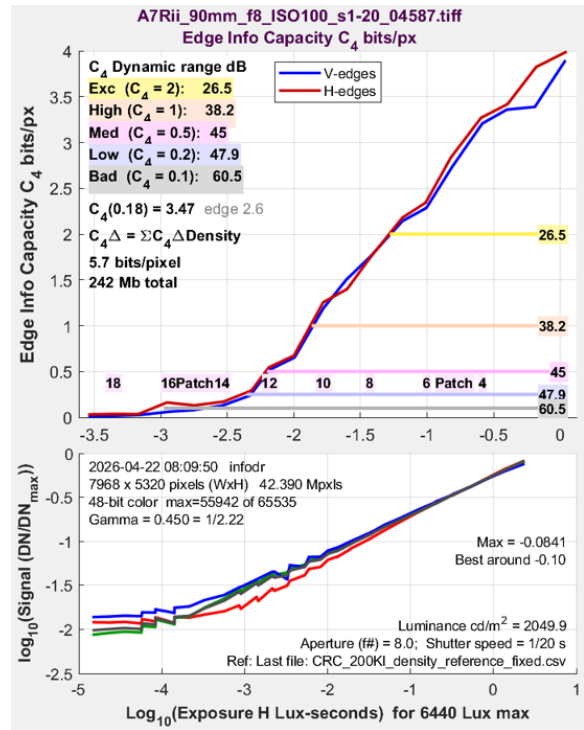
$$C_4\Delta = \sum C_4(x)\Delta x$$

where $x = \log_{10}(\text{Exposure } H \text{ in Lux-seconds})$ and Δx is the x-axis increment = 0.2 OD (Optical Density units). $C_4\Delta$ is the area under the C_4 curve in the upper plot.

Note that even though the two figures look similar, the numeric results and x and y-axes of the C_4 plots are *very* different. $C_4\Delta$ for the 42-megapixel full-frame camera on the right is 9x higher than for the compact 10-megapixel camera above: not unexpected given the difference in the price and weight of the cameras. (Sometimes, you get what you pay for.)

Although $C_4\Delta$ is of interest for consumers and engineers tasked with selecting cameras, the added detail in the plots of C_4 as a function of Exposure H should be especially useful for camera designers concerned with low light performance.

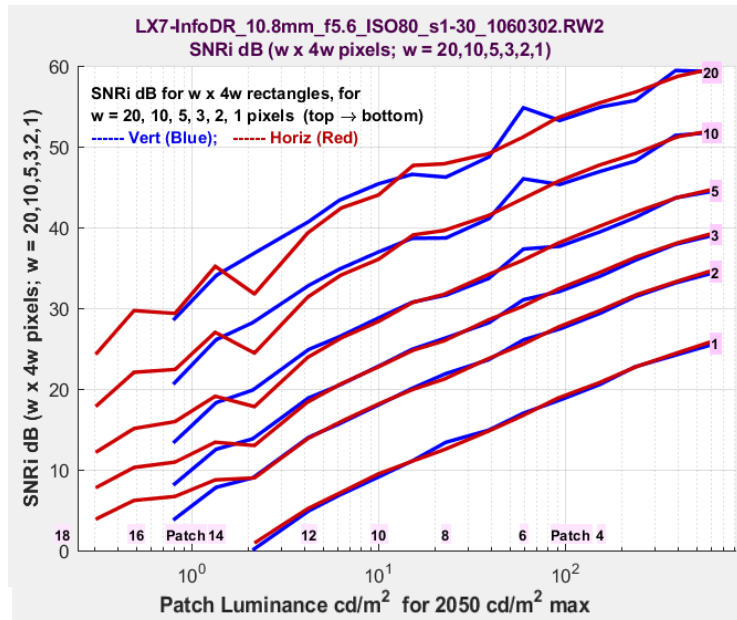
If $C_4\Delta$ turns out to be a durable metric for predicting the performance of a large variety of cameras, it will need a better name.



Edge information capacity C_4 and tonal response for a 42-megapixel professional-grade camera with 4.51 μm pixel size BSI sensor and an excellent 90mm macro lens.

InfoDR SNRi

InfoDR can calculate the [object detectability metric, SNRi](#), for multiple object sizes (values of w for $w \times 4w$ pixel rectangles) at multiple illumination levels. This plot can be produced after applying Image Signal Processing (ISP) with the [Simatest](#) simulator. It is a particularly good indicator of low light performance.

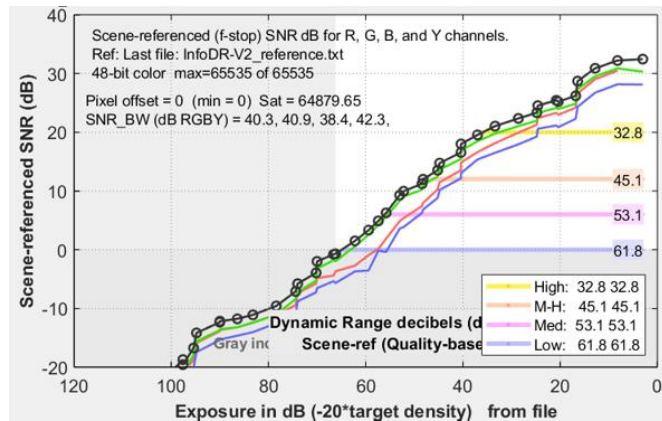


SNRi for multiple rectangle sizes over a range of illumination

Deeper exploration

In addition to information-based Dynamic Range (DR_{C4}), the new InfoDR chart can also be used for all standard slanted-edge measurements as well as traditional SNR-based $DR_{SNR-info}$, which does not fully characterize performance.

For the 10-megapixel camera, DR_{C4} is slightly lower than $DR_{SNR-info}$, in part because the DR_{C4} quality levels are new, somewhat arbitrary, and don't correspond exactly to the classic DR_{SNR} quality levels. But the lower DR_{C4} values should better represent camera performance.

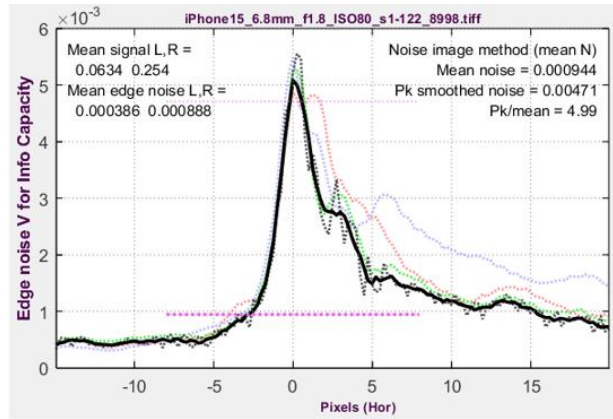


SNR-based Dynamic Range $DR_{SNR-info}$ for the same 10 megapixel image capture used for DR_{C4} . $DR_{SNR-info}$ is **nearly identical** to the DR_{SNR-36} measured on the [36-patch DR36 chart, above](#).

Results can sometimes be surprising. For example, a peak in the spatial noise can indicate the presence of bilateral filtering [6], which is a form of edge-preserving noise reduction

that degrades texture response. Its presence indicates that it might be worthwhile to measure Log F-Contrast or Spilled Coins to better understand the image processing.

Although it is almost universal in JPEG files from cameras, we've only seen it once in a raw image — for a premium camera phone, that appeared to have noise reduction but no sharpening. When it is present, information capacity is estimated using the amplitude of the smoothed peak noise instead of the mean noise. Even with noise reduction in the “raw” image, it had impressive performance.



Spatial noise, showing unexpected peak

Photon Transfer Curve and Simatest

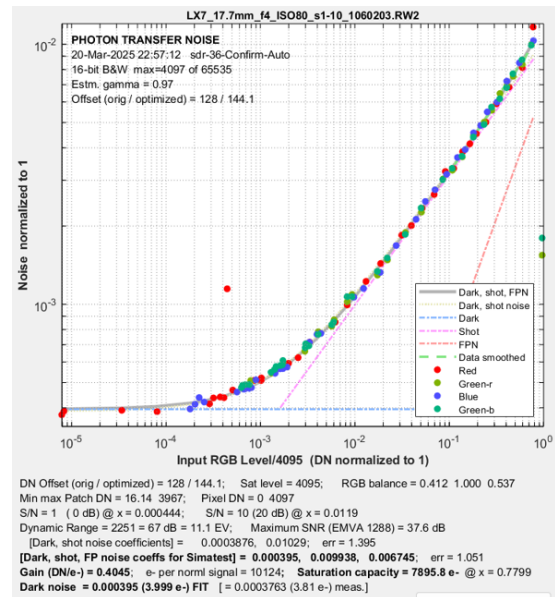
A particularly useful result from any of the three transmissive tonal charts is the [Photon Transfer Curve \(PTC\)](#) [14], which can be calculated from pure raw (undemosaiced) test chart images, as a result of a special property: the noise in each patch is a function of the mean Digital Number (*DN*) of the patch, *independent* of color.

The PTC, which is a plot of noise as a function of exposure, characterizes an image sensor’s noise behavior. It is the heart of the [image sensor noise model](#), which consists of dark noise, photon shot noise, and PRNU (Photo Response Nonuniformity) noise, each of which responds differently to light. For linear sensors, noise can be characterized by just three coefficients:

$$\sigma_N = \sqrt{k_{Ndark}^2 + k_{Nshot}^2 V + k_{PRNU}^2 V^2}$$

for normalized Digital Number, *V*.

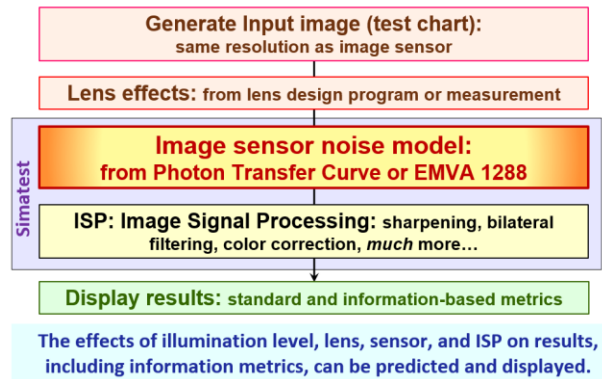
Imatest calculates the noise coefficients using nonlinear optimization. [As of April 2026, **Imatest** does not yet support High Dynamic Range (HDR) sensors, which have multiple operating regions.]



Photon Transfer Curve (PTC)

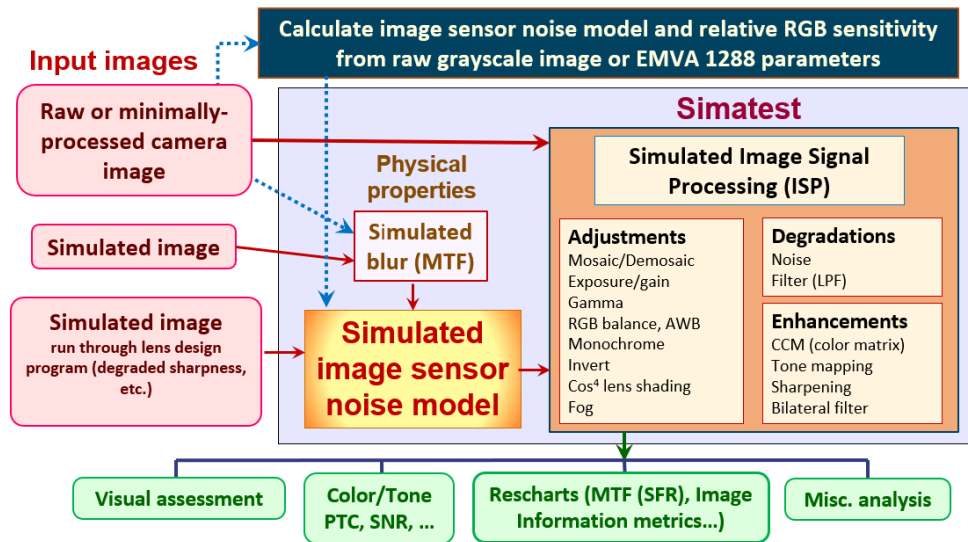
The image sensor noise parameters can be entered into the [Simatest camera simulator](#), along with simulated (ideal) images of any test chart described in this document, to predict the performance of prototype cameras under a wide variety of lighting conditions and Image Signal Processing (ISP).

Simatest Camera performance simulator



Simatest: Simplified block diagram.

Simatest — Camera/Image Signal Processing (ISP) simulator



Note: Simulated or acquired Test Chart images are especially valuable, but any image can be used.

Simatest: Detailed block diagram showing input, ISP, and output options.

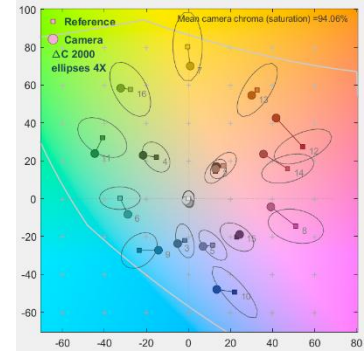
Any of the results shown in this document can be calculated. Details are on [Simatest: Overview](#), [Simatest: instructions and reference](#), and related pages.

Other measurements

The spatial and tonal measurements presented so far — the first two pillars of image quality measurement — are the key measurements for characterizing camera performance, but more may be needed to complete the picture. Since none of these are directly related to information capacity, we'll keep the descriptions brief.

Color

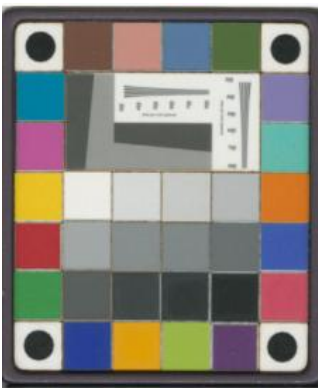
Color can be measured with two of the spatial charts: [eSFR ISO](#) or [SFRplus](#), in [Rescharts \(interactive\) mode](#) or from their fixed, batch-capable modules. The best results are obtained for eSFR ISO when color patches have been measured and a reference file is available. Split colors (reference/input) and a^*b^* color error (on the right) can be displayed.



a^*b^* color error

Most color charts are designed to be analyzed with

[Color/Tone](#), which can provide more detail than the spatial chart modules (above) and can be run interactively or as a [batch-capable fixed module](#). The most popular color charts are



Rezchecker

- the familiar 24-patch [Colorchecker Classic](#),
- [Colorchecker SG](#),
- [Colorgauge](#) and [Rezchecker](#): both tiny charts, well-suited for endoscopes, available in several sizes, whose color patches are made from the same pigment-based material as the Colorcheckers.

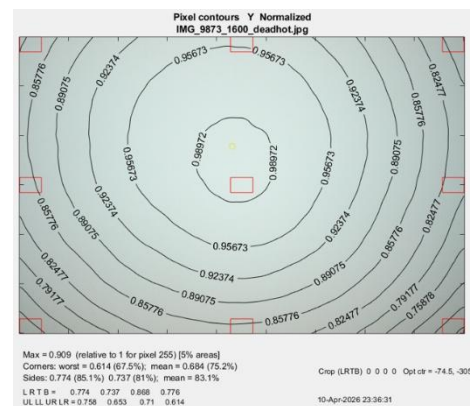


Colorchecker Classic

Uniformity (Light Falloff) and Defects (Blemishes)

Uniformity and defects (blemishes) can both be measured from the [Flatfield module \(Using Flatfield, Part 1, Using Flatfield, Part 2, Using Flatfield-Interactive, Using Flatfield Blemish Detect\)](#), which runs in both fixed and interactive modes, by directly photographing a light panel or lightbox, which doesn't have to be in perfect focus. No chart is needed.

Limited uniformity results (but not blemishes) are available from SFRplus (from the light regions between the slanted squares) and Checkerboard (from the light squares).



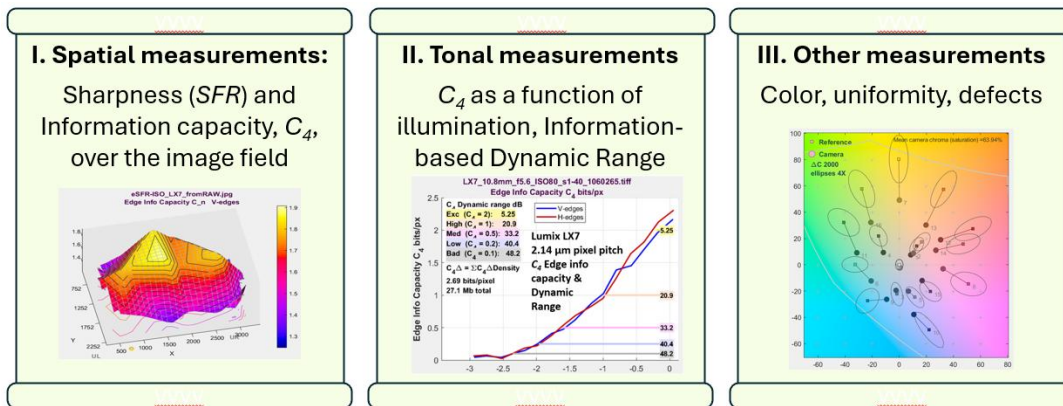
Flatfield contours

Summary

We have presented a strategy for measuring camera performance that consists of three pillars.

- I. **Spatial measurements:** For a test chart that contains multiple slanted edges distributed over the image field, measure sharpness, information capacity (especially, C_4), and if needed, lateral chromatic aberration, for each edge,
- II. **Tonal measurements:** For a test chart that contains grayscale patches with a wide range of densities,
 - a. Measure the signal, noise, and Signal-to-Noise Ratio (SNR) from each patch,
 - b. If the recommended InfoDR chart is available, measure sharpness and information capacity, C_4 , from the 4:1 contrast slanted edges in each patch group to obtain
 1. performance (C_4) as a function of illumination, for a wide range of light levels,
 2. information-based dynamic range, which is a better predictor of camera performance than traditional SNR-based dynamic range.
- III. **Other measurements:** As needed — color, uniformity, and defects, to cover omissions from I and II. And it never hurts to **look at the image**, just in case a rare defect shows up that the measurements didn't catch. (Let us know if this happens.)

The three pillars of image quality measurement



We described measurements derived from information theory, most importantly the information capacity for 4:1 contrast objects, C_4 , which is especially valuable for characterizing camera performance over a wide range of illumination, and also Ideal Observer SNR (SNR_i) [7-10], that quantifies how well an object of a given size can be detected.

We emphasized that C_4 , which is calculated from three factors — sharpness ($SFR(f)$), noise ($NPS(f)$), and signal amplitude ($V_{light} - V_{dark}$), is a *complete* pixel-level performance metric that can answer the question, “How good is the pixel or camera”

An internet search for Image detection, identification, and recognition turned up lots of clever algorithms, but almost nothing about camera quality. Pixel count was the most common camera specification. The industry hasn't even gotten to *SFR*, much less information content. We have our work cut out.

We encourage the use of information metrics such as information capacity C_4 and SNR_i (object detectability) in addition to (or in place of) sharpness and noise for evaluating camera performance.

In other words, think in terms of *information bits* rather than

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Author biography

Norman Koren became interested in photography while growing up near the George Eastman Museum in Rochester, NY. He received his BA in physics from Brown University (1965) and his Masters in physics from Wayne State University (1969), then worked in the computer storage industry simulating digital magnetic recording systems and channels. He founded Imatest LLC in 2003 to develop software, test charts, and lab hardware for measuring the quality of digital imaging systems. Since 2021 he has been obsessed with applying information theory to image quality measurement.